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Direct Determination of the Crystal Structure of PaOCl₂*

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A compound obtained during a reduction of PaCl₅ has been studied by single-crystal X-ray diffraction techniques and identified as the oxydichloride, PaOCl₂. Crystals of this material are orthorhombic with $a=15\cdot25$, $b=17\cdot86$, $c=4\cdot01$ Å. The space group is *Pbam*, and the unit cell contains twelve PaOCl₂ units. Phase determination was by means of the symbolic addition procedure; full-matrix least-squares refinement of diffractometrically measured data resulted in a final R index of 7.6%. The structure consists of infinite polymeric chains which extend along the short c axis and which are cross-linked to one another in the *ab* plane by bridging Cl atoms. The repeating unit of structure along the chain is the twelve-atom aggregate, Pa₃O₃Cl₆. The Pa atoms are seven-, eight- and nine-coordinated. The oxygen atoms are three- and four-coordinated; the chlorine atoms, two- and three-coordinated. Pa-O and Pa-Cl bond distances are in the respective ranges $2\cdot19-2\cdot38$ Å and $2\cdot74-3\cdot08$ Å.

Introduction

During the course of preparing protactinium tetrachloride by hydrogen reduction of the pentachloride, we encountered crystals quite unlike those of the expected product. It appeared likely that the unknown phase was a second modification of $PaCl_4$ or possibly a chloride of mixed oxidation states, *e.g.* Pa_2Cl_9 . A crystal-structure determination shows the phase instead to be a complex oxychloride of empirical composition $PaOCl_2$.

We may mention that solution of the crystal structure was effected by the symbolic addition procedure. Prior to that, an attempt by conventional Patterson analysis had been unsuccessful. In retrospect, the lack of success with the latter approach is traceable to a serious misestimate of the number of Pa atoms within the unit cell. On the other hand, this misestimate proved of no handicap in the symbolic addition procedure.

Experimental

Our sample of protactinium, in the form of PaO_{2.25}, was received from Oak Ridge National Laboratory. This sample, originally part of a gram-scale lot recovered by investigators at the Atomic Energy Research Establishment, Harwell, England, is now known to contain about 4% Nb [for further details see Stein (1964)]. Preparation of the samples followed lines previously described (Elson, Fried, Sellers & Zachariasen, 1950). PaO_{2.25} was treated with carbon tetrachloride at about 200 °C to produce PaCl₅ as well as a less volatile component (probably oxychlorides of Pa^V). Following fractional sublimation, the pentachloride was reacted with hydrogen at 800 °C. Unreacted pentachloride was separated from the less volatile tetra-

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chloride by fractional sublimation. PaCl₄ was sublimed into thin-walled glass capillaries. These capillaries were filled with hydrogen, sealed off, and then placed in a thermal gradient to promote the growth of single crystals. These capillaries served to protect the samples against the hydrolytic effects of moisture as well as to protect personnel from radioactive hazards (²³¹Pa, the isotope used, is an α -emitter).

Despite precautions, at least part of the product obtained proved ultimately to be an oxychloride. It may well be that trace amounts of moisture in the hydrogen gas caused an accidental hydrolysis of PaCl₄. Alternatively, an oxychloride of Pa^V may have been carried along in the fractional separations. Conceivably, this material could have been converted to PaOCl₂ by reduction. Our syntheses typically involve 0·1 mg of PaO_{2·25} so that side reactions due to traces of moisture become relatively important. Moreover, our experimental techniques were conducive to the detection of minute amounts of products that might otherwise go unnoticed in larger preparations. For example, the entire diffraction record came from a crystal weighing approximately 0·10 microgram.

Microscopic examination of one sample tube showed a cluster of orange crystals. One thin blade-like crystal measuring about $0.02 \times 0.002 \times 0.35$ mm had apparently broken off this cluster and was adhering to the capillary wall, well separated from the others. This specimen was examined further by X-rays on a General Electric XRD-5 diffractometer equipped with a goniostat. The crystal class proved to be orthorhombic rather than tetragonal as reported for PaCl₄ (Elson et al., 1950). The systematic extinctions (0kl, k odd;h0l, h odd) are characteristic of the space groups Pbam and Pba2 (International Tables for X-ray Crystallography, 1952). Refined values of the lattice constants based on Mo $K\alpha = 0.7107$ Å are: a = 15.25, b = 17.86, c = 4.01 Å (with probable errors of 0.3%). Oscillation and Weissenberg photographs indicated the crystal would be suitable for intensity purposes.

Intensity measurements were carried out by the stationary-crystal, stationary-counter technique (Furnas, 1957). The radiation used was Zr-filtered Mo $K\alpha$. In all, 610 reflections were recorded up to a 2θ -cutoff of 40°. The intensities were reduced to relative |F|'s through the application of Lorentz-polarization factors.

Determination of the structure

That the orthorhombic phase was a second form of PaCl₄ received support from volume and density considerations. In closest packing, each chlorine atom requires about 34 Å³. From this the number of chlorine atoms indicated within the unit cell was 32. For eight molecules of PaCl₄ per unit cell, the calculated density was 4.53 g.cm^{-3} , a value only 4% smaller than the calculated density for tetragonal PaCl₄ (Elson *et al.*, 1950). It also appeared reasonably certain that the *z* coordinates of the atoms could only be 0 and $\frac{1}{2}$. This

followed from the observation of an exceptionally strong 002 reflection, as well as from packing restraints imposed by the short c axis (4.01 Å).

The Patterson function was far more complex than expected. The peaks were indeed heavily concentrated at levels of W=0 and $\frac{1}{2}$; however, no satisfactory interpretation could be obtained for an ordered arrangement of eight heavy atoms. A solution in terms of a disordered structure was pursued briefly, but again without success.

At this point, phase determination by means of the symbolic addition procedure (see, *e.g.* Karle & Karle, 1965) was tried. Prof. H. L. Ammon kindly supplied a copy of his PHASER program for this purpose. Operational aspects and general strategy of the PHASER program have been described by Ammon & Sundaralingam (1966). Conversion of intensity data to |E(hkl)| values and their sorting with regard to magnitude and parity of Miller indices was accomplished through the use of J. M. Stewart's X-ray 63 library of programs.

The symbolic addition procedure was carried out on the 109 reflections having |E|'s greater than 1.3. Origin determining signs were chosen for the 8,11,1, 8,7,2 and 1,10,3 reflections as +, - and +, respectively. (In using this direct method, we assumed the structure to be centrosymmetric.) It also appeared likely that the sign of 002 was + (as would be expected for a heavy concentration of atoms at z=0 and $\frac{1}{2}$) and that 870 had the same sign as 872, namely -. One additional reflection, 2,13,1, was given a symbolic sign. A pass through PHASER produced a consistent set of signs for a phase angle of π for 2,13,1. Of the 109 signs determined, all agreed with our final structure factor calculation.

A Fourier synthesis with these E's as coefficients showed, to our surprise, twelve Pa peaks rather than eight as heretofore expected. Vector interactions between these atoms gave good agreement with the observed Patterson map. An R index of 27% for the structure factor calculation convinced us further of the essential correctness of the model. Conventional 'heavy-atom' techniques were used to locate first the chlorine atoms and then the oxygen atoms. Difference maps gave residual features around Pa sites, and anisotropic temperature factors for Pa were used in subsequent refinements.

Is is quite clear that the difficulty we experienced in interpreting the Patterson map was due to a strong predilection for eight Pa atoms per unit cell. As mentioned, the evidence for this, while indirect, was persuasive. We note that this same assumption went into the direct-method approach. That is to say, E values were computed on the basis of there being eight PaCl₄ molecules per unit cell. As the cell actually contains twelve PaOCl₂ units, the derived E values were not correct. Nevertheless, phase determination by the symbolic addition procedure was perfectly straightforward. Our experience here suggests that the symbolic addition procedure, in conjunction with 'heavy-atom' techniques, could be applied with success to materials whose unit cell contents are only approximately known. This would be of particular value in the case of minerals and intermetallic compounds.

The structure model was refined by the full-matrix least-squares program of Gantzel, Sparks & Trueblood (ACA Program No. 317, unpublished). Pa atoms were given anisotropic temperature parameters; the others, isotropic thermal parameters. Atomic scattering factors for Pa were Hartree–Fock–Slater values of Hanson, Hermann, Lea & Skillman (1964), corrected for anomalous dispersion (Cromer, 1965); scattering factors for Cl⁻ and O were those listed in *International Tables for X-ray Crystallography* (1962). The refinement was based on |F| with the following weighting scheme (Smith,

Johnson & Nordine, 1965): $w = F_0^{1/4}$, $F_o < A$; $w = A^{5/4}F_o^{-1}$, $F_o > A$. On the scale of the structure factor data of Table 1, A is 360. Six cycles of refinement reduced the conventional R index to 7.6% (all reflections). Changes in the parameters at this stage were < 0.001 times the standard deviations. Parameters from the last cycle were accepted as final, and are given in Table 2. (A refinement series was carried out in terms of the non-centrosymmetric space group *Pba2*, *i.e.* all z parameters, save one, were also allowed to vary. With this additional freedom, the z parameters tended to oscillate near their values in *Pbam*, and convergence was slow. After seven cycles the R index decreased to 7.3%. Differences between the x and y coordinates from those obtained in *Pbam* were negligible. For nine

Table 1.	Observed	' and	calcul	lated	structure	factors
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H+L= 0, 0 K FOBS FCAL 2 203 -191	H+L= 1+ 2 K FOBS FCAL 1 23 19	13 126 118 14 193 202	K FOBS FCAL 0 193 -210 1 46 -59	H,L± 5, 1 K FOBS FCAL	K FOBS FCAL 0 277 301 1 131 133	H.L= 8. 0 K FOBS FCAL	9 150 149 10 50 44 11 23 3	5 110 -114 6 101 101 7 22 -22
6 40 -3 8 216 206 10 321 -322	3 195 -179 4 52 42 5 25 10	K FOBS FCAL 0 183 203 1 350 -333	2 589 593 3 74 65 4 143 102 5 574 -545	2 356 365 3 170 181 4 141 -149	2 399 -404 3 83 66 4 77 77 5 88 81	0 108 -83 1 38 2 2 29 37 3 235 -245	12 53 -45 H,L= 9, 2 K FOBS FCAL	8 211 212 9 33 -33 10 24 -37
12 307 309 14 351 -347 16 168 -151	$\begin{array}{rrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrr$	2 98 89 3 89 72 4 309 294 5 92 -57	6 122 104 7 234 212 8 67 19 9 294 -276	5 185 192 6 38 50 7 74 65 8 211 204	6 72 -53 7 243 232 8 101 .73 9 167 150	4 30 22 5 231 240 6 100 107 7 489 -485	$\begin{array}{cccccccccccccccccccccccccccccccccccc$	H,L± 11, 2 K FOBS FCAL 1 102 99
H+L= 0, 1 K FOBS FCAL 0 410 -390 2 138 -136	10 74 -68 11 123 108 12 136 -134	6 38 -36 7 63 -47 8 167 168 9 353 -256	10 198 189 11 84 -71 12 275 -262	9 83 -63 10 65 -44 11 41 -35	10 233 -236 11 172 161 12 313 308	8 107 -90 9 54 -34 10 51 0	5 143 -144 6 70 69 7 108 -106	3 113 115 4 161 -146 5 74 75
4 504 -481 6 419 410 8 491 -483	14 276 -299 H+L= 1, 3	H+L= 3, 0	13 238 -219 14 112 95 15 51 34 16 108 -105	12 120 118 13 76 -33 14 251 249 15 118 -121	H,L= 6, 3 K FOBS FCAL 0 67 63	$\begin{array}{cccccccccccccccccccccccccccccccccccc$	8 95 -97 9 117 114 10 129 131	6 34 -43 7 15 9 H,L= 12, 0
10 58 -13 12 63 26 14 200 208 16 88 -85	1 92 79 2 88 -78 3 142 -122	1 25 22 2 15 8 3 404 402	H,L≖ 4, 1 K FOBS FCAL 0 120 -135	H,L= 5, 2 K FOBS FCAL 1 109 -99	1 80 70 2 158 158 3 59 -85 4 227 -227	H,L= 8, 1 K FOBS FCÅL 0 149 152	H,L= 9, 3 K FOBS FCAL 1 54 76 2 59 -90	K FOBS FCAL 0 160 135 1 70 82 2 251 -250
H,L= 0, 2 K FOBS FCAL 0 1031 1028	4 294 263 5 150 130 6 153 151 7 59 62	4 140 120 5 144 127 6 331 310 7 199 -186	1 405 420 2 321 -333 3 46 -70 4 141 141	2 41 52 3 215 -216 4 315 -306 5 105 -108	5 110 -115 6 358 359 7 91 -93	1 277 -304 2 31 18 3 240 235	H,L= 10, 0 K FOBS FCAL	3 30 -7 4 75 -59 5 163 -153
2 162 -148 4 339 298 6 36 32	8 64 59 9 52 -26 10 282 299	8 217 197 9 307 303 10 264 260	5 217 217 6 487 -468 7 102 92	6 76 -78 7 83 -67 8 99 91	HILE 7, 0 K FOBS FCAL	5 144 153 6 121 -128 7 171 190	1 63 -64 2 263 279 3 116 119	7 51 40 8 73 77 9 155 -146
10 288 -279 12 274 276 14 298 -311	H+L= 2+ 0 K FO8S FCAL 0 526 -540	$\begin{array}{cccccccccccccccccccccccccccccccccccc$	8 178 166 9 268 266 10 38 22 11 169 -166	9 90 -54 10 228 -227 11 50 12 12 124 -127	$ \begin{array}{rrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrr$	8 35 40 9 36 -8 10 57 -42 11 512 483	4 28 24 5 63 -70 6 29 18 7 293 286	H,L= 12, 1 K FOBS FCAL 0 22 -7
H+L= 0+ 3 K FOBS FCAL 0 260 -253	2 87 -86 3 234 -212 4 309 -299	15 100 79 16 96 105 H,L= 3, 1	12 59 -9 13 395 391 14 67 59 15 52 18	13 71 52 H+L⊐ 5+ 3 K FOBS FCAL	5 187 195 6 25 11 7 278 250 8 113 -103	12 51 51 13 180 -178	8 37 -23 9 49 10 10 164 142 11 158 148	$ \begin{array}{cccccccccccccccccccccccccccccccccccc$
2 115 -91 4 423 -393 6 304 297 8 359 -354	5 485 463 6 169 -159 7 459 -433 8 156 -144	K FOBS FCAL 1 220 -232 2 13 -1 3 123 129	H.L= 4, 2 K FOBS FCAL 0 144 -160	1 175 176 2 244 245 3 116 121 4 111 -106	9 110 -97 10 126 124 11 86 70 12 75 58	K FOBS FCAL 0 70 -71 1 20 -1 2 57 33	12 258 -233 H,L= 10, 1	5 23 -3 6 314 303 7 109 115
10 47 8 H.L= 0, 4	9 307 294 10 200 199 11 112 117	4 20 22 5 271 -270 6 130 -137	1 46 -53 2 324 332 3 74 68	5 146 138 6 60 49 7 70 58	13 67 -50 14 96 -46 15 220 -223	3 226 -219 4 41 10 5 210 207	0 63 -43 1 205 230 2 102 -107	H,L= 12, 2 K FOBS FCAL
0 642 638 H.L= 1, 0	$\begin{array}{cccccccccccccccccccccccccccccccccccc$	8 275 -277 9 204 192 10 143 -137	4 83 81 5 441 -445 6 81 83 7 179 175	8 165 172 9 34 -39 H,L= 6, 0	H,L= 7, 1 K FOBS FCAL 1 104 -129	6 96 88 7 408 -429 8 77 -76 9 39 -28	3 206 -230 4 134 138 5 55 -68 6 306 -314	0 129 121 1 63 71 2 230 - 225 3 24 -8
1 7 22 2 364 -333 3 256 -234	18 90 93 17 288 312 H,L= 2, 1	$\begin{array}{cccccccccccccccccccccccccccccccccccc$	8 45 13 9 255 -245 10 179 169 11 96 -65	K FOBS FCAL 0 331 352 1 149 179 2 493 -493	2 127 -142 3 394 -404 4 25 24 5 18 6	10 23 7 11 149 -153 H,L= 8, 3	7 235 -239 8 151 150 9 22 -14 10 23 -7	4 54 -47 H.L= 13, 0 K FOBS FCAL
4 73 57 5 59 10 6 177 -169 7 60 17	K FOBS FCAL 0 255 287 1 462 -468 2 99 105	15 224 246 16 86 -93 H.L= 3, 2	12 228 -234 13 199 -191 H.L= 4, 3	3 99 67 4 105 98 5 105 108 6 80 -62	6 18 25 7 60 -68 8 176 -176 9 144 -135	K FOBS FCAL 0 81 101 1 233 -236 2 23 1	11 232 -215 H,L= 10, 2	1 22 24 2 50 40 3 150 -144
8 461 -453 9 163 -148 10 91 -79	3 26 48 4 407 409 5 78 -77 6 15 -34	K FOBS FCAL 1 17 18 2 17 10 2 244 224	K FOBS FCAL 0 111 -113 1 301 301	7 276 266 8 86 83 9 193 173	10 96 89 11 78 64 12 80 -59	3 193 185 4 24 16 5 120 114	0 231 -238 1 44 -54 2 245 246	5 23 -15 6 62 48 7 58 46
12 149 -147 13 130 124 14 308 -335	7 58 -65 8 228 222 9 334 -330	4 111 108 5 85 79 6 239 233	2 224 -224 3 78 -65 4 107 95 5 167 152	10 273 -281 11 187 185 12 380 345 13 144 127	13 233 236 14 75 -82 H,L= 7, 2	H,L= 9, 0 K FOBS FCAL 1 265 -298	3 119 116 4 32 19 5 60 -62 6 23 15	H,L= 13, 1 K FOBS FCAL
15 91 -63 16 33 32 17 42 5	10 67 -35 11 255 266 12 67 -63 13 398 -401	7 147 -144 8 167 160 9 257 259 10 228 223	6 337 -340 7 72 70 8 130 125 9 219 220	14 187 -173 15 135 132 H,L≖ 6, 1	K FOBS FCAL 1 232 234 2 55 -64 3 20 -2	2 26 -23 3 48 -22 4 110 96 5 178 -162	7 271 256 8 24 -21 H,L= 11, 0	$ \begin{array}{rrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrr$
H,L= 1, 1 K FOBS FCAL 1 93 94 2 97 -109	14 118 -121 15 170 162 16 53 -55	11 184 -181 12 98 91 13 90 -92 14 72 76	H,L= 5, 0 K FOBS FCAL 1 87 -94	K FOBS FCAL 0 63 88 1 74 106 2 195 203	4 90 91 5 176 170 6 29 12 7 222 214	6 85 82 7 129 -114 8 142 -114 9 140 125	K FOBS FCAL 1 99 112 2 152 170 3 131 131	5 108 98 6 41 -20
3 204 -202 4 376 369 5 205 201 6 187 194	H,L= 2, 2 K FOBS FCAL 0 410 -421 1 17 27	H,L= 3, 3 K FOBS FCAL 1 193 -183	2 54 22 3 248 -266 4 365 -389 5 148 -132	3 107 -116 4 296 -308 5 129 -140 6 481 470	8 97 -85 9 104 -94 10 97 109 11 77 61	10 162 150 11 89 -77 12 23 19 13 24 -12	4 180 -162 5 63 84 6 43 -47 7 31 8	K FOBS FCAL 0 165 147 1 33 52
7 74 86 8 97 96 9 43 -17 10 378 382	2 71 -62 3 189 -169 4 233 -240 5 400 397	2 56 -29 3 119 98 4 43 -10 5 189 -192	$\begin{array}{cccccccccccccccccccccccccccccccccccc$	7 126 -117 8 255 -235 9 145 -141 10 95 91	12 63 52 H,L= 7, 3 K EDBS ECAL	H,L= 9, 1 K FOBS FCAL	8 22 24 9 79 74 10 161 -157	3 88 -90 4 24 25 5 296 257
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	6 139 -127 7 347 -344 8 141 -123 9 267 254	6 102 -113 7 141 -130 8 200 -202	10 274 -259 11 68 10 12 148 -142	11 297 -284 12 38 -14 13 67 -68	1 B2 -92 2 97 -101 3 316 -302	2 100 -115 3 320 323 4 27 49	H,L= 11, 1 K FOBS FCAL	H,L= 14, 1 K FOBS FCAL 0 90 -91
5 129 -137 6 187 199	10 168 165 11 103 97 12 124 -115	10 120 -111	14 100 91 15 86 66 16 198 -202	15 116 -111 Hale 6a 2	$ \begin{array}{c} - & 55 & 26 \\ 5 & 23 & -4 \\ 6 & 24 & 14 \\ 7 & 34 & -51 \end{array} $	5 26 -1 6 20 -3 7 21 -19 8 99 -91	$\begin{array}{cccccccccccccccccccccccccccccccccccc$	1 221 -201 2 115 -109

of the twelve independent atoms, z parameters were within 1.5σ of values in *Pbam*; z parameters for the other three atoms [Pa(2), Cl(5) and Cl(6)] deviated by $3-7\sigma$. Whether this represents a significant departure from centrosymmetry for the structure as a whole is problematical. In view of suspected systematic errors in the intensity data, as well as somewhat limited resolution along the c axis, we feel it is justifiable to ignore the lower R index obtained in *Pba2*. Grosser features of the structure are, of course, unaltered, whichever space group is adopted.)



Fig. 1. Projection of structure on (001). Infinite polymeric chains, $(Pa_3O_3Cl_6)_n$, run normal to page. Open circles represent Cl atoms; stippling and stripes in circles indicate Pa and O atoms, respectively. Atoms at z=0 are indicated by small zeroes; the remaining atoms are at $z=\frac{1}{2}$.

There appears to be a small, but definite, trend in our data in that for weak reflections the observed structure amplitudes are generally larger than the calculated values. A number of possible explanations can be advanced: background levels somewhat underestimated, uncertainties in the scattering factors for Pa, or incorporation of contaminant Nb into Pa sites. None were explored further. The fairly pronounced anisotropy of thermal vibration for Pa atoms (all have large B_{11} terms) probably reflects these deficiencies. The absorption coefficient of PaOCl₂ is calculated to be 512 cm⁻¹ for Mo K α radiation; hence absorption errors may also be responsible in part for the observed anisotropy.

Despite these reservations, the intensity data sufficed to locate the unsuspected oxygen atoms in a straightforward way. These atoms were readily apparent in a difference synthesis (after the Pa/Cl ratio was established as 1:2) as peaks about one-half as high as those for Cl atoms, and moreover were quite well-behaved during least-squares refinement. A structure-factor calculation with the oxygen atoms removed, but with Pa and Cl at their final positions, gave an R value of 9.9%. Comparison of this with the final R of 7.6% illustrates the overall contribution of oxygen to the structure factors. A final difference map shows some residual features which occasionally amount to ± 2 e.Å⁻³, but which, however, are diffuse, irregular, or impossibly close to atomic sites.

At the time our structural analysis was completed, we could find no account of $PaOCl_2$ in the literature. Hence, identification of the small peaks as oxygen (rather than, say, nitrogen or fluorine) and specifically as oxide oxygen (rather than OH⁻ or H₂O) followed from chemical intuition. Quite recently, Dr D. Brown has kindly furnished us with a preprint (Brown & Jones, 1967) describing the preparation and properties of PaOCl₂. Of especial interest is the fact that the powder pattern data given for their preparation are satisfactorily accounted for by the present structure. Dr Brown also reports that the oxydichlorides of Th, Pa, U and Np are all isostructural with one another.

Table 2. Final parameters

E.s.d.'s in parentheses. Anisotropic temperature factor expressed as:
$\exp\left[-\frac{1}{4}(B_{11}h^2a^{*2}+B_{22}k^2b^{*2}+B_{33}l^2c^{*2}+2B_{12}hka^*b^*)\right].$
Units of B or B_{11} are $Å^2$.

	104 <i>x</i>	104 y	z	$B \text{ or } B_{11}$	B ₂₂	B ₃₃	B ₁₂
Pa(1)	3372 (2)	2480 (1)	1/2	2.6 (0.1)	0.9 (0.1)	0.3 (0.1)	-0.2 (0.1)
Pa(2)	1566 (2)	1656 (1)	Ō	2.5 (0.1)	0.6 (0.1)	0.4 (0.1)	-0.1 (0.1)
Pa(3)	2815 (2)	248 (1)	ł	3.1 (0.1)	0.4 (0.1)	0.4 (0.1)	0.2 (0.1)
CI(1)	1206 (13)	4510 (10)	Õ	2.6 (0.4)			
Cl(2)	4711 (12)	2819 (10)	0	1.8 (0.4)			
Cl(3)	654 (11)	838 (9)	ł	1.7 (0.3)			
Cl(4)	1393 (10)	2830 (8)	Ĵ,	1.0 (0.3)			
CI(5)	3286 (13)	4033 (10)	Ĩ	2.6 (0.4)			
Clú	4287 (12)	1146 (10)	į.	2.0 (0.4)			
où	2818 (29)	2333 (22)	Ô	1.5 (0.9)			
$\tilde{O}(2)$	2285(31)	544 (25)	Ō	$2 \cdot 2 (1 \cdot 0)$			
O(3)	2330 (29)	1491 (22)	$\frac{1}{2}$	1.5 (0.9)			
	, , ,		-				

Discussion of structure

The structure consists (Fig. 1) of an infinite polymeric chain extending along the short c axis, and cross-linked in the ab plane to symmetry-related chains by chlorine atoms [Cl(2) and Cl(5)]. The repeating element within the chain (and in fact the asymmetric unit of structure) is the twelve-atom aggregate, Pa₃O₃Cl₆. Each of these Pa atoms exhibits a different coordination number: 8 for Pa(1), 9 for Pa(2) and 7 for Pa(3). The complexity is further heightened by the diverse structural roles displayed by the light atoms. Oxygen atoms are threeand four-coordinate. Most of the chlorine atoms are two-coordinate of the usual bridging type; some, however, are coordinated to a third Pa atom.

At the core of this infinite chain is the Pa-O framework illustrated in Fig. 2. The O(3) atom is surrounded by four Pa atoms at the corners of a somewhat irregular tetrahedron (Pa-O(3)-Pa angles range from 104° to 120°). The O(1) and O(2) atoms are each bonded* to 3 Pa atoms. The disposition of these bonds is more nearly coplanar, sums of the angles around O(1) and O(2) being 358.2° (=2×112.9+132.4) and 353.7° $(=2 \times 112.6 + 128.5)$, respectively. This Pa-O framework bears a striking resemblance to a portion of the PaO_2 (CaF₂-type) structure (Fig. 3). (For the full PaO_2 structure there are these important differences: the Pa/O ratio is of course 1:2, and each O is coordinated to four Pa atoms at the corners of a regular tetrahedron.) In PaOCl₂, the Pa-O bond distances involving four-coordinate O(3) are 2.34 (three times) and 2.38 Å $(\sigma$'s = 0.02–0.04 Å), slightly less, but not significantly so, than the corresponding distance of 2.39 Å in PaO₂ (from data cited by Pearson, 1958). Pa-O distances involving O(1) and O(2), 2.19, 2.23, 2.26 and 2.27 Å, are smaller in just about the proportion expected (Pauling, 1960) for a change in coordination number from 4 to 3.

Positions of the Cl atoms within the chain are illustrated in Fig.4. Half of these Cl atoms also occupy positions which resemble those of O atoms in PaO₂. These are: Cl(1), which bridges two Pa(3) atoms; Cl(2), which bridges two Pa(1) atoms; and Cl(6), which bridges Pa(1) and Pa(3). The Cl(3) and Cl(4) atoms connect Pa(2) atoms along the chain direction, but in a different way from that in PaO₂. Whereas in PaO₂, the Pa atoms are surrounded by a cube of O atoms, in PaOCl₂ the 'square' of 2 Cl(3) and 2 Cl(4) atoms is rotated by about 45° relative to the 'square' of four O atoms. This arrangement of O and Cl is quite similar to that in PbFCl, a common structure-type for actinide and lanthanide oxymonochlorides (Wyckoff, 1963).



Fig. 2. Portion of Pa–O framework in PaOCl₂. Direction of view is approximately normal to c axis (the chain direction). Values of z increase from bottom to top of page. Values of y increase to right, but y axis is tipped ~20° into page.



Fig. 3. Portion of the cubic PaO₂ (CaF₂-type) structure drawn to bring out resemblance to Pa-O framework in PaOCl₂ (Fig. 2).

^{*} In response to referee comment, we use the terms coordinated and bonded interchangeably in the sense that if one atom is coordinated to another, this carries the implication of an interaction between the two which we call a bond. No implication is intended that this necessarily is a two-electron, covalent bond. The interaction may even be largely electrostatic in character.

Addition of Cl(2') from a neighboring chain completes a ninefold coordination about Pa(2) (5 Cl and 4 O atoms).

We have previously referred to the coordination number of Pa(1) as being 8, and that of Pa(3) as being 7. Actually, this distinction is not clear-cut. Fig. 4 shows a rather similar and almost mirror-imaged disposition of ligands around Pa(1) and Pa(3), an exception to this being the much closer approach of Cl(4) to Pa(1) than Cl(3) to Pa(3). The distances of interest are (Table 3): 3.08 and 3.46 Å, respectively. This skewness, rather than having both Cl(3) and Cl(4) equidistant from a Pa atom at the mean separation of 3.27 Å, is probably related to the fact that Pa(1), being bonded to two three-coordinated Cl(2) atoms, is still able to interact electronically with another Cl atom, whereas Pa(3) perhaps is saturated.

Pa-Cl distances involving the three-coordinate Cl atoms, Cl(2) and Cl(4), are somewhat longer than those involving two-coordinate Cl atoms of the simple bridging type. The Pa-Cl(2) distances are 2.93 (twice) and 2.98 Å; the Pa-Cl(4) distances are 2.91 (twice) and 3.08 Å (Table 3). Corresponding distances for bridging Cl's range from 2.74 to 2.84 Å (σ 's for the Pa-Cl distances = 0.01-0.02 Å). It might also be expected that bond distances involving nine-coordinate Pa(2) would be longer than those (of a similar kind) for eightcoordinate Pa(1); greater in turn than those for seven-

Numbering scheme follo	ows that of Fig.4. Prime	markings denote atoms in sym	metry-related chains.
$P_{2}(1)_{-2}O(1)$	2.191 ± 0.017 Å	Pa(2) - Cl(2')	2·982 + 0·018 Å
O(3)	2.376 ± 0.042	2Cl(3)	2.843 ± 0.012
2C(2)	2.925 ± 0.013	2Cl(4)	2.913 ± 0.011
Cl(4)	3.082 ± 0.016	Pa(3) - 2O(2)	2.226 ± 0.020
Cl(5)	2.778 ± 0.019	O(3)	2.341 ± 0.040
Cl(6)	2.762 ± 0.018	2 Ĉl(1)	2.826 ± 0.018
Pa(2) - O(1)	2.261 + 0.043	Cl(5)	2.743 ± 0.019
O(2)	2.268 ± 0.045	Cl(6)	2.760 ± 0.018
2O(3)	2.337 ± 0.022	[Pa(3) - Cl(3)]	3.462 ± 0.017]
O(1) = Pa(1) = O(1)	$132.4 + 2.1^{\circ}$	Pa(1) - O(1) - Pa(2)	112·9 ± 1·0°
O(1) - Pa(1) - O(3)	69.7 ± 1.0	Pa(3) - O(2) - Pa(3)	128.5 ± 2.1
Cl(2) - Pa(1) - Cl(2)	86.5 ± 0.5	Pa(2) - O(2) - Pa(3)	112.6 ± 1.1
Cl(5) - Pa(1) - Cl(6)	152.3 ± 0.6	Pa(1) - O(3) - Pa(2)	103.9 ± 1.1
O(1) - Pa(2) - O(2)	93.4 ± 1.6	Pa(1) - O(3) - Pa(3)	119·6 <u>+</u> 1·8
O(1) - Pa(2) - Cl(2)	129.3 ± 1.1	Pa(2) - O(3) - Pa(3)	106·1 <u>+</u> 1·1
O(2) - Pa(2) - Cl(2)	137.3 ± 1.2	Pa(2) - O(3) - Pa(2)	118·1 ± 1·8
O(1) - Pa(2) - O(3)	69.3 ± 1.1	Pa(3) - Cl(1) - Pa(3)	90·4 <u>+</u> 0·6
O(2) - Pa(2) - O(3)	69.4 ± 1.1	Pa(1) - Cl(2) - Pa(1)	86·5 <u>+</u> 0·5
O(3) - Pa(2) - O(3)	118.1 ± 1.8	Pa(2')-Cl(2)-Pa(1)	136.7 ± 0.2
O(2) - Pa(3) - O(2)	128.5 ± 2.1	Pa(2) - Cl(3) - Pa(2)	89.7 ± 0.5
O(2) - Pa(3) - O(3)	70.1 ± 1.3	Pa(2) - Cl(4) - Pa(2)	87.0 ± 0.4
Cl(1) - Pa(3) - Cl(1)	90.4 ± 0.6	Pa(1) - Cl(4) - Pa(2)	76.4 ± 0.3
Cl(5) - Pa(3) - Cl(6)	163.3 ± 0.6	Pa(1')-Cl(5)-Pa(3)	145.0 ± 0.8
Pa(1)-O(1) -Pa(1)	132.4 ± 2.1	Pa(1) - Cl(6) - Pa(3)	95.2 ± 0.6

Table 3. Bond distances and selected angles

Table 4. Inter- and intra-chain contacts in PaOCl₂

N= no. of j neighbors at distance d, d's in Å.

I.	$Cl(i) \cdot \cdot$	$\cdot Cl(j$) distances	<4∙00 Å	. j≥i						
i	j	Ν	d	i	j	Ν	d	i	j	Ν	d
1	4	2	3.62	2	4	2	3.46	3	5	1	3.61
1	5	2	3.85	2	5	2	3.67	3	5	1	3.62
1	6	2	3.62	2	6	2	3.66	4	5	1	3.60
1	6	2	3.74	3	3	1	3.60	4	6	1	3.70
2	3	2	3.44	3	4	1	3.73				
II.	0(i)·	··Cl(j) distances	s <3.60 Å	λ.						
i	i	N	d	i	j	Ν	d	i	j	Ν	d
1	2	1	3.01	2	3	2	3.24	3	4	1	2.79
1	4	2	3.09	2	5	2	3.47	3	6	1	3.05
2	1	1	2.95	3	3	1	2.81				
п	I. O(i)	· · · O(<i>j</i>) distance	$s \leq 3.30$	Å. <i>j</i> ≥	i.					
i	j	N	d	i	j	Ν	d	i	j	Ν	d
1	2	1	3.30	1	3	2	2.61	2	3	2	2.62
					• ~	~			~ ~		

 σ 's: Cl···Cl, 0·02-0·04 Å; O···Cl, 0·04-0·05; O···O, 0·04 Å.

coordinate Pa(3). The maximum shortening, that which accompanies a change in coordination number from nine to seven, would be about 3-4% (Pauling, 1960). There is some indication of such a trend in our results; however, at the present level of accuracy we hesitate to say this correlation is firmly established.

There is little in the literature for comparison with the present results. Using the unit-cell data for $PaCl_4$ (Zachariasen, 1954) and the atomic coordinates in isostructural UCl₄ (Mooney, 1949), one obtains Pa-Cl distances of 2.43 and 3.09 Å for Pa in eight-coordination. In $PaCl_5$ (Dodge, Smith, Johnson & Elson, 1967), Pa-Cl distances of 2.70 and 2.76 Å are found for twocoordinated Cl and seven-coordinated Pa.

Pa-Cl-Pa bond angles within the structure exhibit values ranging from 76.4° to 145.0°. The smallest angle, Pa(1)-Cl(4)-Pa(2), involves a three-coordinate Cl; the largest angle involves the chain-crosslinking Cl(5) atom. The majority of values occur near 90°. Examples include: 90.4° at Cl(1), 86.5° at Cl(2), 89.7° at Cl(3), 87.0° at Cl(4) and 95.2° at Cl(6). It is to be noted that the two three-coordinate Cl atoms differ radically in the arrangements of bonds to their three Pa neighbors. Bonds emanating from Cl(2) are essentially coplanar, the sum of the bond angles around Cl(2) being $2 \times 136.7° + 86.5° = 359.9°$. Those from Cl(4) are decidedly nonplanar. The individual angles are 76.4° (twice) and 87.0°.

Coordination polyhedra for the three independent Pa atoms are shown in Fig.5. Each polyhedron has a mirror plane as its sole element of crystallographic symmetry; each contains both oxygen and chlorine atoms as ligands. Owing to bond-length differences of some 20% between Pa-O and Pa-Cl, the following similarities with more symmetric configurations for chemically identical ligands are necessarily qualitative. In this context, we can regard the grouping around Pa(2) as resembling a trigonal prism + 3 configuration, having 4 Cl and 2 O atoms as 'prismatic' ligands and 1 Cl and 2 O atoms as 'equatorial' ligands. As some indication of the distortions, the bond angle, O(1)-Pa(2)-O(2), in the equatorial plane is pinched down from 120° to 93.4° , the angles, Cl(2)-Pa(2)-O(1) and Cl(2)-Pa(2)-O(2) are opened up to $129\cdot3^{\circ}$ and $137\cdot3^{\circ}$. respectively. While the trigonal +3 arrangement is the usual prototype for nine-coordination, the geometry could also be regarded as an antiprism+1 grouping, i.e. 4 O, 4 Cl atoms +1 additional Cl. The configuration around Pa(1) is perhaps easiest to categorize. This arrangement appears to be a dodecahedron of the $Mo(CN)_{8}^{4-}$ type (Hoard & Silverton, 1963), but with three short bonds (Pa-O) and five long bonds (Pa-Cl). Pertinent bond angles are:

Type I,
$$O(3)-Pa(1)-Cl(4) = 69.3^{\circ}$$
,
 $Cl(2)-Pa(1)-Cl(2) = 86.5^{\circ}$;



Fig. 4. Full configuration of atoms in polymeric chain in PaOCl₂. Direction of view is the same as in Fig. 2. All atoms are in horizontal mirror planes passing approximately out of plane of paper.

Type II, $O(1)-Pa(1)-O(1) = 132.4^{\circ}$, $Cl(5)-Pa(1)-Cl(6) = 152.3^{\circ}$.

Corresponding angles for the idealized dodecahedral configuration, *i.e.* identical ligands, hard-sphere model are (Hoard & Silverton, 1963): Type I, $73\cdot8^\circ$; Type II, $139\cdot0^\circ$. The coordination around Pa(3) can also be considered as derived from a dodecahedron with one vertex unoccupied (or at least with one ligand well beyond normal bond distances). Bond angles analogous to those given above are: Cl(1)-Pa(3)-Cl(1)=90·4° and O(2)-Pa(1)-O(2)=128\cdot7°, Cl(5)-Pa(3)-Cl(6)=163\cdot3°. A comparison with the previous values indicates a partial collapse to an octahedron + 1 arrangement.

Packing relations are most readily seen from Fig. 1. The infinite chains are themselves arranged in a quasihexagonal array when viewed along the chain direction. In addition to connections provided by bridging chlorine atoms, the chains abut against one another to give regions of local closest-packing. The inter-chain contacts are exclusively between chlorine atoms, oxygens being effectively buried within the interior of the chains. Some of the non-bonded distances are indicated in Fig. 1; a more complete list is given in Table 4.

Finally, in view of the differences between the three kinds of Pa atoms, it is not entirely clear that these atoms need have one and the same oxidation state. For example, formulations such as $(Pa^{IV}_{3}O_{3}Cl_{6})_{n}$ or

 $(Pa^{III}Pa^{IV}Pa^{V}O_{3}Cl_{6})_{n}$ both meet the requirements of overall electrical neutrality. However, the existence of any Pa^{III} compounds is at present very uncertain (the only contender appears to be PaH₃); hence the formulation in terms of mixed oxidation states is rendered unlikely. The same principle applies to those compositions which hypothesize one or more of the oxygen atoms as OH⁻ or H₂O, since again Pa as Pa^{III} would be required.

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Fig. 5. (a) Coordination polyhedron of nine Cl and O neighbors around Pa(2). Direction of view as in Figs. 2 and 4. (b) Coordination polyhedron of seven Cl and O neighbors around Pa(3). A mirror plane normal to z axis passes through O(3), Cl(6), Cl(5) and Pa(3). (c) Coordination polyhedron of eight Cl and O neighbors around Pa(1). A mirror plane normal to z axis passes through O(3), Cl(6), Cl(6) and Pa(1).